

The Math

C_{WRaw} : The concentration in stream water not correcting for sediment binding. This is what Gleams - Driver currently gives.

C_{WAdj} : The concentration in stream water adjusted for sediment binding. This is what we want to know.

$$K_d = \frac{C_{Sed}}{C_{Wat}} \text{ by definition. Here, } C_{Wat} = C_{WAdj}.$$

Take a 1 cm^2 area on the stream bed. (any other area would do just as well)

For a 1 meter (100 cm) deep stream, we have a concentration in the water from G - D of C_{WRaw} in units of mg / L.

This concentration is in a volume of:

$$V_{Wat} = 1. \text{ cm}^2 * 100 \text{ cm} * 1 \text{ L} / (1000 \text{ cm}^3)$$

0.1 L

The total amount (not concentration) of the chemical in this water column, A_{tot} is thus

$$A_{tot} = C_{WRaw} * V_{Wat}.$$

To calculate the adjusted concentration in water (C_{WAdj}) we need to get the amount in water (A_w) and the amount in sediment (A_s).

By definition, $A_{tot} = A_w + A_s$

Define V_w as the volume of the water column and V_s as the volume of the sediment under the water column.

$$C_{WAdj} = \frac{A_w}{V_w}$$

$$C_s = \frac{A_s}{V_s}$$

$$\text{Then, } K_d = \frac{C_s}{C_{WAdj}} = \frac{\frac{A_s}{V_s}}{\frac{A_w}{V_w}}$$

In the above expression, substitute $A_{tot} - A_s$ for A_w .

$$K_d = \frac{C_s}{C_{WAdj}} = \frac{\frac{A_s}{V_s}}{\frac{A_{tot} - A_s}{V_w}}$$

Solve for A_s in Mathematica :

$$\text{Solve}\left[\text{Kd} == \frac{\frac{A_s}{V_s}}{\frac{A_{\text{tot}} - A_s}{V_w}}, A_s\right]$$

$$\left\{\left\{A_s \rightarrow \frac{\text{Kd } A_{\text{tot}} V_s}{\text{Kd } V_s + V_w}\right\}\right\}$$

As noted above, $A_{\text{tot}} = A_w + A_s$. Thus, $A_w = A_{\text{tot}} - A_s$.

Now we can solve for both A_s and A_w and we can calculate $C_{w\text{Adj}}$ and C_s .

An Example

Suppose we have a 1 meter (100 cm) deep stream and consider binding to a 1 cm depth of sediment. The volume of water is 0.1 L and the volume of sediment is 0.01 L.

Gleams - Driver gives us a $C_{w\text{Raw}}$ of 0.8 mg / L.

$$A_{\text{tot}} = 0.8 \frac{\text{mg}}{\text{L}} \times 0.1 \text{ L}$$

$$0.08 \text{ mg}$$

Assume a Kd of 3030

$$\text{Kd} = 3030;$$

$$V_s = 0.01 \text{ L};$$

$$V_w = 0.1 \text{ L};$$

The amount in sediment is :

$$A_s = \frac{\text{Kd } A_{\text{tot}} V_s}{\text{Kd } V_s + V_w}$$

$$0.0797368 \text{ mg}$$

The amount in water is

$$A_w = A_{\text{tot}} - A_s$$

$$0.000263158 \text{ mg}$$

The concentration in water adjusted for sediment binding ($C_{w\text{Adj}}$) is :

$$C_{w\text{Adj}} = \frac{A_w}{V_w}$$

$$\frac{0.000263158 \text{ mg}}{\text{L}}$$

The concentration in sediment is :

$$C_{\text{sed}} = \frac{A_s}{V_s}$$
$$\frac{7.97368 \text{ mg}}{\text{L}}$$

The ratio of C_{sed} to C_{wAdj} should equal the K_d :

$$\frac{C_{\text{sed}}}{C_{\text{wAdj}}}$$

3030.

The adjustment factor for getting C_{wAdj} from C_{Raw} is :

$$\frac{C_{\text{wAdj}}}{(0.8 \text{ mg} / \text{L})}$$

0.00328947

This checks out.

Send to Linda just to be sure.

CRITICAL NOTE

Unlike the pond, Gleams - Driver has no "memory" for the stream. In other words, G - D does not now "remember" the concentration in sediment. At the start of each new day, the concentration is zero (prior to pesticide input). In reality, the concentration in sediment may / will build. Thus, using the above correction is anti - conservative.

Dare I say that the sediment will be a "Reservoir" of sorts.